Searching for exotic spin-dependent interactions with single electron spin quantum sensors

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Exploring new physics beyond standard model by NV centers

- Searching for new particles beyond the standard model is crucial for understanding several fundamental conundrums such as
 - Dark matter
 - Dark energy
 - Hierarchy problem

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Top 20 unsolved fundamental problems in physics

- 2.1. Supersymmetry and Vacuum Fields
- 2.2. The Electromagnetic Zero-Point Field
- 2.3. The Cosmological Constant Problem
- 2.4. The Hierarchy Problem
- 2.5. Grand Unification
- 2.6. Quantum Gravity
- 2.7. Neutrinos
- 2.8. The Identity of Dark Matter
- 2.9. The Microwave Background Horizon Problem
- 2.10. Particle Properties and Causality
- 2.11. Fundamental Constants
- 2.12. Was There a Big Bang?
- 2.13. The Topology of Space
- 2.14. The Dimensionality of the World
- 2.15. Mach's Principle
- 2.16. Negative Mass
- 2.17. The Origin of Galaxies and Other Structure
- 2.18. The Origin of the Spins of Galaxies
- 2.19. The Angular Momentum/Mass Relation
- 2.20. Life and the Fermi-Hart Paradox

Spin-dependent macroscopic forces from new particle exchange $v_1 = \frac{1}{r}y(r)$,



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$$\begin{split} \mathcal{V}_{1} &= \frac{1}{r} y(r) , \\ \mathcal{V}_{2} &= \frac{1}{r} \vec{\sigma} \cdot \vec{\sigma}' y(r) , \\ \mathcal{V}_{3} &= \frac{1}{m^{2} r^{3}} \left[\vec{\sigma} \cdot \vec{\sigma}' \left(1 - r\frac{d}{dr} \right) - 3 \left(\vec{\sigma} \cdot \hat{\vec{r}} \right) \left(\vec{\sigma}' \cdot \hat{\vec{r}} \right) \left(1 - r\frac{d}{dr} + \frac{1}{3} r^{2} \frac{d^{2}}{dr^{2}} \right) \right] y(r) , \\ \mathcal{V}_{4,5} &= -\frac{1}{2m r^{2}} \left(\vec{\sigma} \pm \vec{\sigma}' \right) \cdot \left(\vec{v} \times \hat{\vec{r}} \right) \left(1 - r\frac{d}{dr} \right) y(r) , \\ \mathcal{V}_{6,7} &= -\frac{1}{2m r^{2}} \left[\left(\vec{\sigma} \cdot \vec{v} \right) \left(\vec{\sigma}' \cdot \hat{\vec{r}} \right) \pm \left(\vec{\sigma} \cdot \hat{\vec{r}} \right) \left(\vec{\sigma}' \cdot \vec{v} \right) \right] \left(1 - r\frac{d}{dr} \right) y(r) , \\ \mathcal{V}_{6,7} &= -\frac{1}{2m r^{2}} \left[\left(\vec{\sigma} \cdot \vec{v} \right) \left(\vec{\sigma}' \cdot \hat{\vec{r}} \right) \pm \left(\vec{\sigma} \cdot \hat{\vec{r}} \right) \left(\vec{\sigma}' \cdot \vec{v} \right) \right] \left(1 - r\frac{d}{dr} \right) y(r) , \\ \mathcal{V}_{8} &= \frac{1}{r} \left(\vec{\sigma} \cdot \vec{v} \right) \left(\vec{\sigma}' \cdot \vec{v} \right) y(r) , \\ \mathcal{V}_{9,10} &= -\frac{1}{2m r^{2}} \left(\vec{\sigma} \pm \vec{\sigma}' \right) \cdot \hat{\vec{r}} \left(1 - r\frac{d}{dr} \right) y(r) , \\ \mathcal{V}_{11} &= -\frac{1}{m r^{2}} \left(\vec{\sigma} \times \vec{\sigma}' \right) \cdot \hat{\vec{r}} \left(1 - r\frac{d}{dr} \right) y(r) , \\ \mathcal{V}_{12,13} &= \frac{1}{2r} \left(\vec{\sigma} \pm \vec{\sigma}' \right) \cdot \vec{v} y(r) , \\ \mathcal{V}_{14} &= \frac{1}{r} \left(\vec{\sigma} \times \vec{\sigma}' \right) \cdot \vec{v} y(r) , \\ \mathcal{V}_{15} &= -\frac{3}{2m^{2} r^{3}} \left\{ \left[\vec{\sigma} \cdot \left(\vec{v} \times \hat{\vec{r} \right) \right] \left(\vec{\sigma}' \cdot \hat{\vec{r}} \right) + \left(\vec{\sigma} \cdot \hat{\vec{r}} \right) \left[\vec{\sigma}' \cdot \left(\vec{v} \times \hat{\vec{r} \right) \right] \right\} \\ \times \left(1 - r\frac{d}{dr} + \frac{1}{3} r^{2} \frac{d^{2}}{dr^{2}} \right) y(r) , \\ \mathcal{V}_{16} &= -\frac{1}{2m r^{2}} \left\{ \left[\vec{\sigma} \cdot \left(\vec{v} \times \hat{\vec{r} \right) \right] \left(\vec{\sigma}' \cdot \vec{v} \right) + \left(\vec{\sigma} \cdot \vec{v} \right) \left[\vec{\sigma}' \cdot \left(\vec{v} \times \hat{\vec{r} \right) \right] \right\} \left(1 - r\frac{d}{dr} \right) y(r) . \end{aligned}$$

$$(3.8)$$

B. Dobrescu and I. Mocioiu, J. High Energy Phys. 11, 005(2006).

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Searches for exotic spin-dependent interactions with NV centers

□ spin-mass interaction

$$\mathcal{V}_{9,10} = -\frac{1}{2m r^2} \left(\vec{\sigma} \pm \vec{\sigma}' \right) \cdot \hat{\vec{r}} \left(1 - r \frac{d}{dr} \right) y(r) ,$$

Xing Rong et al., Nature Communications, 9:739 (2018)

□ exotic dipole-dipole interaction

$$\mathcal{V}_2 = \frac{1}{r} \, \vec{\sigma} \cdot \vec{\sigma}' \, y(r) \; \; ,$$

Spin Magnetic Resonance

Principle: The spins which locate in a magnetic field can absorb and re-emit electromagnetic radiation with a specific resonance frequency.

The MR technology is capable of obtaining information of subjects composition and structure in an accurate, rapid and non-destructive way.



NV的基本性质

637nm

t=300ns

dark

bright

2.87 GHz

 $H = \hat{S} \cdot \vec{D} \cdot \hat{S} \rightarrow DS_z^2 + E(S_x^2 - S_y^2)$

- NV具有三能级的基态结构,再结合邻近的耦合自旋,有多种量子比特的编码选择;
- 特殊的光学性质使NV单自旋能用光学 方法定位、初始化和读出;
- 室温可以达到5毫秒量级的超长相干时 间,量子操作次数可达百万量级。

NV体系室温下优越的性质 + 量子控制技术 应用前景 ?

 $H = D \cdot S_z^2 + E \cdot (S_x^2 - S_y^2) - \gamma_e \mathbf{B} \cdot \mathbf{S} + \mathbf{S} \cdot \sum_{i=1}^{n} \mathbf{A}_i \cdot \mathbf{I}_i$ 探测磁场 探测电场 探测温度 自旋耦合 Nat. Phys. 7, Nano Lett. 13, Science 316, 见下页磁探测 459 2738 (2013) 1312 (2007) 进展图示 (2011)Nature 500, Nat. Phys. 9, 54-58 (2013) 29 (2012) PRL 109, 137602 (2012)

NV sensor



Constraints on spin-mass interaction



Limitation: The size of the sensor!

Limitation of the sensor (an example)



The thickness of the cell (the sensor) is 250 μ m. It is very challenging to make it much thinner.

The investigated force range is above ${\sim}100~\mu\text{m}$

PHYSICAL REVIEW D 87, 011105(R) (2013)

Constrain spin-mass interaction with µm scale





Xing Rong et al., Nature Communications, 9:739 (2018)

Experimental sequence





Experimental result









二氧化硅半球抗磁性影响



如果NV正好在半球下方:

- 抗磁性导致的外磁场垂直于NV主 轴
- NV 跃迁频率: ~ 2 GHz
- B_{M,diam}导致的频率移动: ~ mHz 对应相位为 10⁻¹⁰ rad
- 可以忽略抗磁性影响







定位误差为 0.7(8) µm

定位误差导致抗磁性对最终相位测量的误差为 3(3) ×10⁷ rad 远小于0.02 rad,可以忽略。







误差分析:相位抖动





微波源的相位抖动

Observer operator: <Sx>

微波源相位抖动导致 观测算符不完美: <Cos(δ) Sx + Sin(δ) Sy>

相位抖动导致测量误差: 3.5×10⁻⁵ ± 7.6×10⁻¹⁵ rad

远小于 0.02 rad, 可以忽略

误差分析: 退相干效应





核自旋热库诱导的展宽

 $T_2^* = 0.67 \ \mu s$

使用动力学解耦技术后可以极大 提升相干时间至 8.3 µs

核自旋热库导致的误差 0± 1.3×10⁻¹⁴ rad





Table 1: Systematic error summary.				
Systematic error	Size of effect	Correction to $g_{\rm s}^{\rm N}g_{\rm p}^{\rm e}$ for $20~\mu{ m m}$		
diamagnetism of M	-11.28×10^{-6}	$(5 \pm 5) \times 10^{-20}$		
diamagnetism of the tuning fork	-11.28×10^{-6}	$(3.8 \pm 0.3) \times 10^{-20}$		
phase jitter of microwave	1.3 ps	$(0.0 \pm 1.7) \times 10^{-27}$		
T_2^* dephasing	$670 \pm 41 \text{ ns}$	$(0.0 \pm 1.9) \times 10^{-27}$		
shortest distance between M and S	$0.5\pm0.1~\mu\mathrm{m}$	$(0.1 \pm 3.0) \times 10^{-17}$		
the amplitude of the modulation of M	$41.1 \pm 0.1 \text{ nm}$	$(0.0 \pm 1.3) \times 10^{-17}$		
the radius of M	$250\pm2.5~\mu\mathrm{m}$	$(0.1 \pm 3.7) \times 10^{-18}$		
the angle between $\boldsymbol{B}_{\mathrm{eff}}$ and NV axis	$54.7 \pm 3^{\circ}$	$(0.4 \pm 4.2) \times 10^{-16}$		

约束





Constraint on exotic interaction between electrons





Magnetic dipole-dipole coupling

$$-\frac{\mu_0 \gamma_e \gamma_e \hbar^2}{16\pi r^3} [3(\vec{\sigma_1} \cdot \hat{r})(\vec{\sigma_2} \cdot \hat{r}) - (\vec{\sigma_1} \cdot \vec{\sigma_2})],$$

Exotic dipole-dipole coupling [1]

$$\frac{g_A^e g_A^e}{4\pi\hbar c} \frac{\hbar c}{r} (\vec{\sigma_1} \cdot \vec{\sigma_2}) e^{-\frac{r}{\lambda}},$$

We now experimentally search for this type of exotic dipole-dipole coupling $\space{2}$.

[1] B. A. Dobrescu and I.Mocioiu, J. High Energy Phys. 11, 005 (2006)[2] Xing Rong et al., arXiv:1804.07026 (2018)

Experiment technique and setup







The measured polarized signal

T. Xie, et al., arXiv:1706,03939 (2017).

Experimental pulse sequence for searching exotic interactions





Experimental pulse sequence for searching exotic interactions





TABLE I. Summary of the systematic errors in our experiment. The corrections to $g_{\rm A}^{\rm e} g_{\rm A}^{\rm e} / 4\pi\hbar c$ at $\lambda = 500 \ \mu {\rm m}$ are listed.

Systematic error	Size of effect	Corrections
Deviation in x-y plane	$0 \pm 10 \ \mu \mathrm{m}$	$(0.6 \pm 1.3) \times 10^{-20}$
Distance	$12\pm1.3~\mu{ m m}$	$(-1\pm80)\times10^{-22}$
Decoherence of S	$405\pm23~\mu{ m s}$	$(8.0 \pm 1.0) \times 10^{-22}$
Decay time	$7 \pm 1 \ \mu s$	$(5\pm 36) \times 10^{-21}$
Radius	$35\pm5~\mu{ m m}$	$(3\pm7) \times 10^{-21}$
Thickness	$15\pm3~\mu{ m m}$	$(9 \pm 45) \times 10^{-21}$
Total	-	$(2.4 \pm 6.0) \times 10^{-20}$

New constraint on exotic interaction between electrons





We established upper limits on this type of exotic spin-dependent interaction in the force range 10 to 900 $\mu m.$







宏观世界	"陀螺"
空间尺度	: 厘米
时间尺度	: 秒
特征频率	: 百赫兹



微观世界	"自旋"
空间尺度	: 纳米
时间尺度	: 纳秒
特征频率	: 吉赫兹

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Hope for collaborations with you!







